Real Time tracking with wavelet based zoom for improved recognition of object

DR. Manoj Kumar
Professor
G.L.A. UNIVERSITY, Mathura

Pragati Bhardwaj
Assistant Professor(Research Scholar)
G.L.A. UNIVERSITY, Mathura

ABSTRACT
In this paper, we define the Real Time tracking through wavelet based zoom aimed at enhanced recognition of object based on discrete wavelet transform. When Moving object tracking it is essential to identify and recognize the object efficiently. In some scientific Applications and medicinal Imaging it will be vital to envision the image information by Tracking. Two approaches for performing zoom tracking are obtainable: a closed-loop visual feedback algorithm created on optical flow, and use of depth information originate from an autofocus camera's range sensor. We discover two uses of zoom tracking: improving the presentation of scale varient procedures and recapture of depth information. We illustration that the image stablity providing by zoom tracking recovers the performance of algorithms that are scale optional, such as correlation-based trackers. Although zoom tracking cannot totally pay an object's motion, due to the outcome of perception distortion, an examination of this misrepresentation provides a measurable approximation of the act of zoom tracking. We have nearby a Wavelet based Zoom through the moving object tracking by discrete wavelet transform and normalized cross correlation with the aid of MATLAB.

Keywords
Wavelet Based Zoom, Moving object tracking, Wavelet transform, normalized cross correlation, Matlab.

1. INTRODUCTION

A wavelet transform can emphasis on localized signal structures with a zooming way that gradually decreases the scale limit. Singularities and irregular configurations often carry important information in a signal. For example, discontinuities in images may link to obstruction contours of objects now a scene. The wavelet transform amplitude diagonally scales is connected to the local signal regularity and Lipschitz exponents. Singularities and edges are discovered from wavelet transform local maxima by several scales. These maxima describe a symmetrical scale-space support after which signal and image estimates are recovered.

Nonisolated singularities seem in extremely irregular signals such as multifractals. The wavelet transform receipts benefit of multifractal self-similarities to calculate the spreading of their singularities. This singularity range illustrates multifractal properties. Through this section wavelets are actual functions.

2. LIPSCHITZ REGULARITY

To illustrate singular structures, it is essential to precisely measure the local uniformity of a signal f*(t).* Lipschitz exponents provide constant regularity dimensions over time intervals, then similarly at any point v. If f has a singularity by v*,* which means that it remains not differentiable at v, then the Lipschitz exponent at *v* describes this singular behavior.

Section 2.1.1 tells the uniform Lipschitz regularity of f above to the asymptotic decline of the amplitude of its Fourier transform. This global uniformity measurement is inadequate in examining the signal properties at precise locations. Section 2.1.3 studies zooming techniques that extent local Lipschitz exponents from the decline of the wavelet transform amplitude at sufficient scales.

2.1.1 Lipschitz Definition and Fourier Analysis

The Taylor formula tells the differentiability of a signal towards native polynomial approximations. Suppose that f exists m times differentiable in [v – h, v + h*]*. Let p_v be the Taylor polynomial now the locality of v:

$$p_v(t)= \sum_{k=0}^{m-1} \frac{f^{(k)}(v)}{k!} (t-v)^k \qquad (2.1)$$

Taylor formula verifies that the estimate error

$$\varepsilon_v(t)= f(t)- p_{(v)}(t) \qquad (2.2)$$

Satisfies

$$\forall t \in [v-h, v+h],\ |\varepsilon_v(t)| \le \frac{|t-v|^m}{m!} \sup_{u\in[v-h,\ v+h]} |f^m(u)| \qquad (2.3)$$

International Journal of Scientific Research in Engineering and Management (IJSREM)
Volume: 05 Issue: 10 | Oct - 2021 ISSN: 2582-3930

The m^{th} command differentiability of f in the area of v yields an upper bound on the error $\varepsilon_v(t)$ when t tends to v The Lipschitz uniformity improves this upper bound with non integer exponents. Lipschitz exponents are also called Holder exponents in mathematics literature.

2.1.2 Definition Lipschitz:

A function **f** is point wise Lipschitz $\alpha \geq 0$ at v, if there exists **K** > 0 and a polynomial p_v of degree $m = \lfloor\alpha\rfloor$ such that

$$\forall t \in R, \quad |f(t) - p_v(t)| \leq K\,|t - v|^{\alpha} \qquad (2.4)$$

A function **f** is consistently Lipschitz α over **[a, b]** if it satisfies **(2.4)** for all **v** ∈ **[a, b]** with a persistent **K** that is autonomous of **v.**

The Lipschitz uniformity of **f** on **v** or over [*a*, *b*] is the supremum of the α such that **f** remains Lipschitz α.

At every *v* the polynomial $p_v(t)$ is exclusively defined. If f is $m = \lfloor\alpha\rfloor$ times endlessly differentiable in a area of v, then p_v remains the Taylor expansion of f at v. Pointwise Lipschitz exponents may differ randomly from abscissa to abscissa. One can hypothesis multifractal functions through nonisolated singularities, where f has a dissimilar Lipschitz regularity at every point. In contrast, even Lipschitz exponents run a more universal measurement of regularity, which applies to a entire interval. If *f* is equally Lipschitz $\alpha > m$ in the area of v, then one can validate that f is essentially m times always differentiable in this region.

If $0 \leq \alpha < 1$, formerly $p_v(t) = f(v)$ and the Lipschitz condition (**2.4**) becomes

$$\forall t \in R, \quad |f(t) - f(v)| \leq K\,|t - v|^{\alpha} \qquad (2.5)$$

A function that is restricted but discontinuous at v remains Lipschitz 0 at v. If the Lipschitz uniformity is α < 1 on v, then f is not differentiable on *v* and α describes the singularity form.

Fourier Condition

The uniform Lipschitz regularity of f over R is connected to the asymptotic decline of its Fourier transform .Theorem 2.1 can be taken as a simplification.

Theorem 2.1: A function **f** is bounded and uniformly Lipschitz α over R if

$$\int_{-\infty}^{+\infty} |\hat{\hat{f}}(\omega)|(1 + |\omega|^{\alpha})\, d\omega < +\infty \qquad (2.6)$$

Proof: To prove that f is bounded, we use the inverse Fourier integral and (2.6), which shows that

$$|f(t)| \leq \int_{-\infty}^{+\infty} |\hat{f}(\omega)|\, d\omega < +\infty \qquad (2.7)$$

Let us now prove the Lipschitz condition (2.5) when 0 ≤ α ≤ 1. In this example, $p_v(t) = f(v)$ and the constant Lipschitz uniformity means that there exists *K* > 0 such that for totally $(t, v) \in ^2$

$$\frac{|f(t) - f(V)|}{|t - v|^{\alpha}} \leq K \qquad (2.8)$$

Since

$$f(t) = \frac{1}{2\pi} \int_{-\infty}^{+\infty} \hat{f}(\omega) \exp(i\omega t)\, d\omega$$

$$\frac{|f(t) - f(v)|}{|t - v|^{\alpha}} \leq \frac{1}{2\pi} \int_{-\infty}^{+\infty} |\hat{f}(\omega)| \frac{|\exp(i\omega t) - \exp(i\omega v)|}{|t - v|^{\alpha}}\, d\omega$$

………. **(2.9)**

For $|t - v|^{-1} \leq |\omega|$,

$$\frac{|\exp(i\omega t) - \exp(i\omega v)|}{|t - v|^{\alpha}} \leq \frac{2}{|t - v|^{\alpha}} \leq 2|\omega|^{\alpha} \qquad \textbf{(2.10)}$$

For $|t - v|^{-1} \geq |\Omega|$,

$$\frac{|\exp(i\omega t) - \exp(i\omega v)|}{|t - v|^{\alpha}} \leq \frac{|\omega||t - v|}{|t - v|^{\alpha}} \leq |\omega|^{\alpha} \qquad (2.11)$$

Cutting the integral (2.9) in two for $|\Omega| < |t - v|^{-1}$ and $|t - v|^{-1} \geq |\Omega|^{-1}$ produces

$$\frac{|f(t) - f(v)|}{|t - v|^{\alpha}} \leq \frac{1}{2\pi} \int_{-\infty}^{+\infty} 2|\hat{f}(\omega)|\, |\omega|^{\alpha} d\omega = K \qquad (2.12)$$

If (2.6) is satisfied, then K < + ∞ so *f* is regularly Lipschitz α.

Let us spread this result for $m = \lfloor\alpha\rfloor > 0$. We verified previously that (2.6) indicates that f is m times always differentiable. One can prove that *f* is consistently Lipschitz α above if and only if $f^{(m)}$ remains uniformly Lipschitz α- m over R. The Fourier transform of $f^{(m)}$ is $(i\omega)^m \hat{f}(\omega)$Since $0 \leq \alpha - m < 1$, we can use our earlier result, which proves that $f^{(m)}$ is uniformly Lipschitz α — m, and thus that f remains consistently Lipschitz α.

The Fourier transform is a powerful tool for evaluating the least global uniformity of functions. Though, it is not possible to examine the symmetry of f at a specific point *v* from the decay of $\hat{f}(\omega)$ at high frequencies ω. In difference, then

International Journal of Scientific Research in Engineering and Management (IJSREM)
Volume: 05 Issue: 10 | Oct - 2021 ISSN: 2582-3930

wavelets are well localized in time, the wavelet transform gives Lipschitz symmetry over intervals then at points.

2.1 LITERATURE REVIEW

Image interpolation or zooming or group of higher resolution image remains one of the important division of image processing. Abundant work is being done in this respect. Researchers have suggested dissimilar answer for the interpolation problematic. Schultz and Stevenson suggested a Bayesian approach for zooming[2]. In this method ,the output image comprises ripples. Now the super-resolution field, Deepu and Choudhuri suggest physics based method[3]. Knox Carey et al. suggested wavelet based methodology[4]. The visual properties of this reduced-computation interpolation technique are mostly like to those of the additional computationally severe method, but specific edges are somewhat anointed. Jensen and Alastassiou suggested the non linear technique for image zooming. Parker, Kenyon, and Troxel published the first paper titled "Comparison of Interpolation Methods" monitored by a like study presented by Maeland in. According to the above references, traditional techniques have linear interpolation and pixel repetition. Linear interpolation drives to suitable straight mark between two lines. This procedure leads to blurred image. Pixel replication copies neighbouring pixel nearby the empty location. This technique inclines to yield blocky images.[5] Approaches like Spline and Sinc interpolation stay reduced near these two edges. Hazy images are made by interpolation technique. A wavelet-based increase method is recommended that both increases the resolve of an image and improves local high frequency information's, in order to offer digitally zoomed images through sharp edges. Wavelet transforms calculated by the decimated Mallat's algorithm current pyramidal aspect[6]. This pyramidal study shared by a estimate of high frequency constants is used to produce a magnified image. The prediction is based on a zero-crossings image and on the creation of a multiscale edge-signature database. Performances are assessed for artificial plus noisy images. A important enhancement about certain classical approaches (spline interpolation) is detected.

3. PROPOSED TECHNIQUE

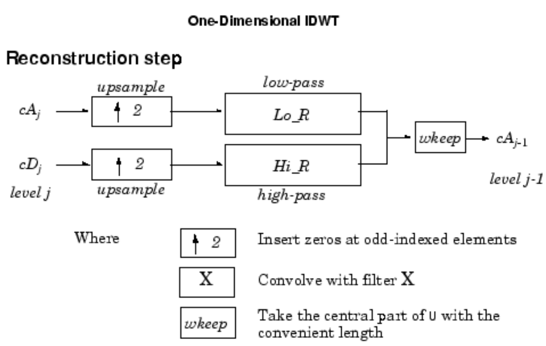

Figure.1

We applied now the Two dimensional idwt for the Expansion of the image

In block representation Xunk is (unknown) high resolution image where Xavl presented low resolution image. H and L is appropriate high pass and low pass filter in wavelet study. Using Xavl, we evaluation the coefficient essential for creating high resolution images. Taking estimatimated the coefficients, rest is a typical wavelet mixture filter bank

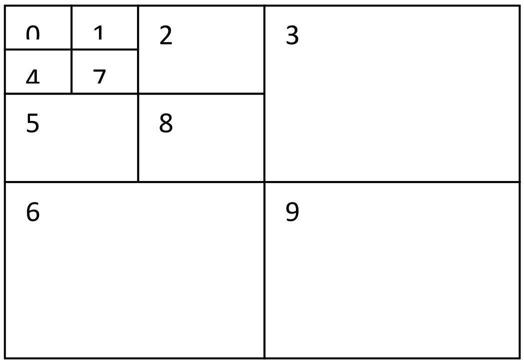

Figure.2

To explain the approximation of coefficients study the figure. We accept that wavelet transform of an M*M image composed of boxes 0 ,I,II,IV,V,VII,VIII is presented & we need to zoom it to size 2M*2M.This would be expected if we can approximation wavelet coefficients in cases III,VI,IX. Having assessed these wavelet coefficient ,we basically feed these beside with M*M image the wavelet created image synthesis filter bankn& obtain the interpolated (zoomed)img of size 2M*2M. We exploit ideas from zero tree concept to approximation wavelet coefficient in cases III,VI &IX. To approximation these measurements we use zero tree idea. It has following properties: If a wavelet coefficient at a coarser scale is irrelevant with respect to a given threshold T, formerly entirely wavelet coefficients of same alignment in same three-dimensional place at finer measures are likely to be irrelevant with respect to that T.

In a multiresolution system, every coefficient at a specified scale can be linked to a set of coefficients at the next rougher scale of related direction.

Estimate of wavelet coefficient

Study box I & II of Fig.2 coefficient d1(i1,j1) € I and d2(i2,j2) € II. Note that i1,j1 content M/4<=i1<=(M/2)-1 and 0<=j1<=(M/4)-1. Also, i1 and i2 linked by i1= [i2/2](where [.]signifies floor operator); j1 and j2 are similarly related. The ratio of coefficient of finer rule(box II) and next coarser scale (box I) remains almost invariant. We describe D(.)(i,j) as (between box I and box II):

$$D_1(i,j) = \frac{d_2(i,j)}{d_1\left(\left\lfloor \frac{i}{2} \right\rfloor, \left\lfloor \frac{j}{2} \right\rfloor\right)}$$

$$D_2(i,j) = \frac{d_2(i,j+1)}{d_1\left(\left\lfloor \frac{i}{2} \right\rfloor, \left\lceil \frac{j+1}{2} \right\rceil\right)}$$

These D(.)(i,j) values are used to approximation coefficients of dˆ at the higher scale (box III). dˆ (2i,2j)=D1(i,j)d2(i,j)(1-ld(i.j)) dˆ(2i,2j+2)=D1(i,j)d2(i,j+1)(1-ld(i.j+1)) (3) We set: dˆ (2i,2j+1)= dˆ (2i,2j) dˆ (2i,2j+3)= dˆ (2i,2j+2) (4) ld(i,j) is an indicator function ; ld(i,j) is set to nil ,if d(i,j) remains important, else to one. We describe d(i,j) to be important if |d(i,j)| >T. Note that Eq 3 suggests an exponential decline . Now, the assessed dˆs and original M×M image is fed to wavelet based image synthesizer to found zoomed image.

Multi-resolution analysis

Multi-resolution study as implied by its name, examines the indication at different frequencies with different purposes. Every spectral section is not determined similarly as stayed the case in the STFT. MRA is planned to give good time resolution and poor frequency resolution at high frequencies and good frequency resolution then poor time resolution at low frequencies. This method kinds sense especially when the indication at pointer has high frequency components for short intervals and low frequency mechanisms for long intervals. Fortunately, the signals that are met in practical applications are regularly of this kind. A multiresolution picture provides a simple classified framework aimed at interpretating the image information. At different resolutions, the particulars of an image usually describe different physical structures of the part. At a coarse resolution, these particulars agree to the larger structures which offer the image "context". It stays therefore natural to examine first the image facts at a coarse resolution and then regularly rise the resolution.

Zero tree Concept

In a ordered sub band system, which we must previously discussed in the earlier lessons, each coefficient at a assumed scale can be connected to a set of coefficients on the next better scale of related orientation. Only, the maximum frequency sub bands are exclusions, meanwhile there is no being of better scale beyond these. The coefficient on the rougher scale is named the parent then the coefficients at the next better scale in related orientation and identical spatial position are the families. For a given parent, the usual of all coefficients at all better scales in related orientation and spatial locations are called descendants. Likewise, for a given child, the set of coefficients on all rougher scales of similar orientation and identical spatial location are called descendants. [8]

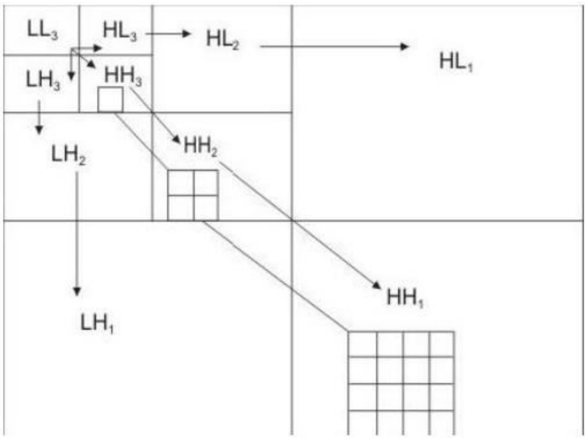

Fig-3 Parent-child dependencies of sub bands

Fig.3 shows this idea, viewing the descendants of a DWT coefficient present in HH3 subband. Note that the coefficient below concern has four children in HH2 subband, meanwhile HH2 subband has four times resolution for example that of HH3. Similarly, the coefficient below consideration in HH3 subband has sixteen children in subband HH1, which in this situation is a highest-resolution subband. On behalf of a coefficient in the LL subband, that happens only at the roughest scale (in this case, the LL3), the hierarchical idea is somewhat different. Here, a coefficient in LL3 takes three children – one in HL3, one in LH3 and one in HH3, entirely at the same spatial location. Thus, all coefficient at some subband other than LL3 essential have its final ancestor exist in in the LL3 subband. The relationship well-defined above best represents the idea of space-frequency localization of wavelet transforms. If we form a descendant tree, beginning with a coefficient in LL3 as a root node, the tree would extent all coefficients at completely higher frequency subbands at the similar spatial position.

4.0 Performance Parameters

MEAN SQUARE ERROR Mean square error is amount of the fault among the original image and the zoomed image. It can be calculated by the formulation set as: MSE(X,X')=[1/N1*N2] ∑ ∑[X(i,j)- X'(i,j)]^2 (5) Where, X=original image of size N1×N2 X'=zoomed image Mean square error must be as low as possible. 3.6.2 PEAK SIGNAL TO NOISE RATIO This relation is frequently used as a quality size among the original and a zoomed image. The higher the PSNR, the improved the quality of the zoomed image. PSNR = 10log [255^2/MSE] (6)

5. RESULTS AND ANALYSIS

For the examination we take the image rice.png

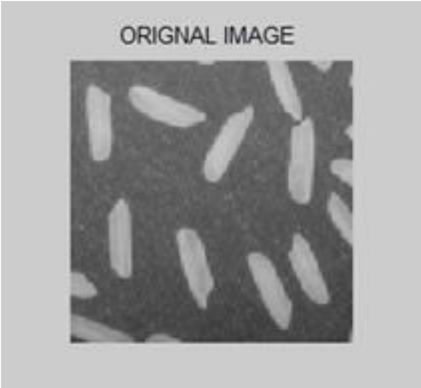

Fig-4 rice.png original image

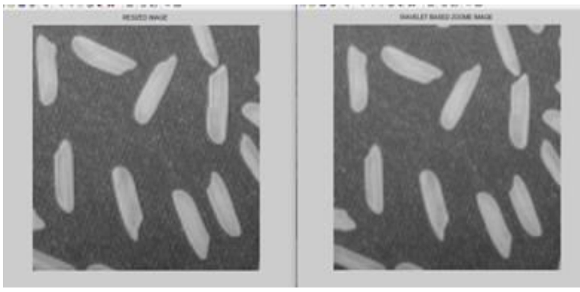

Fig-5 rice.png zoomed image

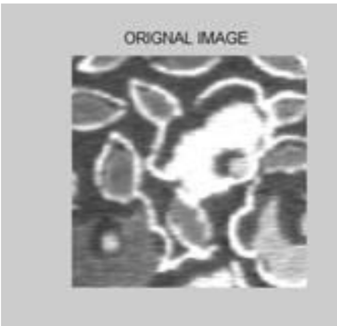

Fig-6 fabric.png original image

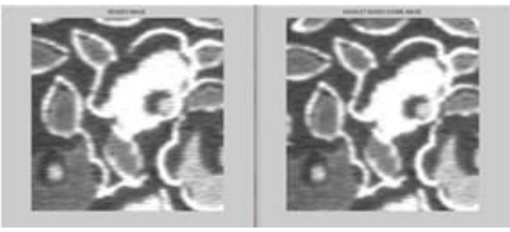

Fig-7 fabric.png zoomed image

Fig-8 saturn.png original image

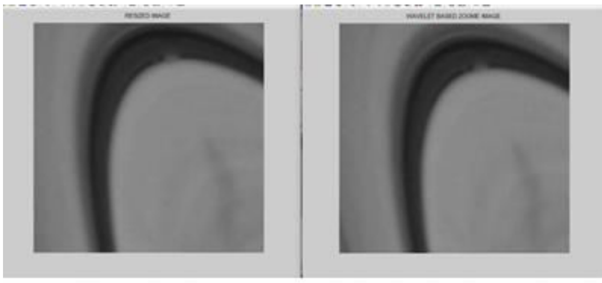

Fig-9 saturn.png zoomed image

Fig-10 hestain.png original image

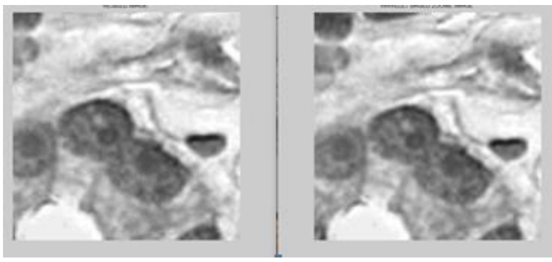

Fig-11 hestain.png zoomed image

Here We have taken all dissimilar sizes images and take a identical size of ROI for zoomed image processing we define the results :

Serial No.	Image Name	Wavelet Used	MSE	PSNR
1	Rice.png	Haar	28.7184	33.5492
		Db4	790.4722	19.1519
2	Fabric.png	Haar	83.0527	28.9373
		Db4	3.3221e+03	12.9166
3	Saturn.png	Haar	3.4132	42.7992
		Db4	408.5826	22.0180
4	Hestain.png	Haar	32.2056	33.0515
		Db4	1.2298e+03	17.2325

6. CONCLUSIONS

Experimental results demonstrations that significant enhancement in Peak Signal to Noise Ratio and Mean Square Error.. In this we take roi then zoom this roi with resize and wavelet. Now we calculate msr and psnr. Image is being decomposed in four different compositions. Zoomed image is extra sharper and less blocky. As time complexity is more in proposed algorithm further enhanced algorithms can be used.

7. REFERENCES

[1] "Image zooming: usage of wavelets" N.Kaulgud and U. B. Desai, international series in engineering and computer science, volume 632, chapter 2,pp21-44, 2002

[2] Richard R. Schultz & R.L. Stevenson."Bayesian method to image development for improved definition".IEEE Transaction on signal processing,3(3):234-241,may 1994.

[3] Deepu Rajan and S. Chaudhuri,"Physics Best Approach to generation of super-resolution of images". In International Conference on Vision Graphics and Image Processing, New Delhi,Pages 250-254, 1998.

[4] W.Knox Carey,Daniel B.Chuanj and Sheila S.Hemami."Regularity preserving image interpolation".IEEE Operation on Image processing,8(9):1293-1297,Sept.1999.

[5] Emil DUMIC, Sonja GRGIC, Mislav GRGIC "The Usage of Wavelets in Image Interpolation :Possibilities and Limitations", RADIOENGINEERING, VOL. 16, NO. 4, DECEMBER 2007

[6] Stephen G. Mallat."A theory for multiresolution signal decomposition : The wavelet representation". IEEE transaction on pattern analysis & machine intelegence,11(7):674-693,july 1989

[7] Robi Polikar "Fundamental concept & an overview of wavelet theory" ,Second Edition: June 1996.

[8] H.M. Shapiro "Embedded image coding".IEEE Transaction on Signal Processing,41(12):3445- 3462,1993

[9] Stephen G. Mallat & Sifen Zhong. "Characterisation of signals from multiscale edges." IEEE transactions on pattern analysis & machine intellegence,14(7):710- 732,july 1992.

[10] Michael Unser,Akram Aldroubiand Murray Eden."color information for region segmentation". IEEE Tx on image processing,4(3):247-258,march 1995.

[11] Yang-Weon Lee."Wavelet Image Coding With Zero Tree of Wavelet Coefficients",. IEEE transaction on image processing, ISIE 2001,PUSAN,KOREA

[12] Richards E. Woods & Rafael C. Gonzalez,"Digital Image Processing", Second Edition:371-408,2005

[13] A. K. Jain, *Fundamentals of Digital Image Processing*; Prentice Hall of India Pvt. Ltd., New Delhi, 2001.

[14] A. Yilmaz, K. Shafique, and M. Shah, "Tracking tracking in airbone forward looking imagery", Image and Vision Computing, vol. 21, no. 7, 2003, pp. 623-635.

[15] I W Selesnick, R G Baraniuk and N G Kingsbury: "The Dual-Tree Complex Wavelet Transform", IEEE Signal Processing Magazine, vol 22, no ,6 pp 123-151, Nov.2005.

[16] T. B. Moeslund, and E. Granum, "A survey of computer vision based human motion capture", Computer Vision and Image Understanding, vol. 81, no. 3, 2001, pp. 231-268.

[17] I. Haritaoglu, D. Harwood, and L. Davis, "W4: real-time surveillance of people and their activities", IEEE Transactions on Pattern Analysis and Machine Intelligence, vol. 22, no. 8, 2000, pp. 809-830.

[18] O. Masoud and N. P. Papanikolopoulos, " A novel method for tracking and counting pedestrians in real-time using a single camera", IEEE Transactions on Vehicular Technology, vol. 50, no. 5, 2001, pp. 1267-1278.

[19] Om Prakash and Ashish Khare, "Tracking of Non-Rigid Object in Complex Wavelet Domain", Journal of Signal and Information Processing, vol. 2, 2011, pp. 105-111.

[20] M Aksela. Handwritten Character Recognition: A Palmtop Implementation and Adaptive Committee Experiments. Master‟s Thesis, Helsinki University of Technology, 2000.

[21] D. Wang, "Unsupervised Video segmentation based Watersheds and Temporal Tracking", IEEE Transactions on Circuits and Systems for Video Technology, vol. 8, no. 5, 1998, pp. 539-546.

[22] A. J. Lipton, H. Fujiyoshi, R. S. Patil, "Moving Target Classification and Tracking from Real-time Video", WACV ‟98. Proceedings, Fourth IEEE Workshop on applications of computer vision, 1998, pp. 8-14.

[23] D. Comaniciu, V. Ramesh and P. Meer, "Kernel-based object tracking", IEEE Transactions on Pattern Analysis and Machine Intelligence, vol. 25, no. 5, 2003, pp. 564-575.

[24] G. Strang, "Wavelets and dilations equations: A brief introduction", SIAM Review, vol. 31, no. 4, 1989, pp. 614-627.

[25] I. W. Selesnick, R. G. Baraniuk and N. Kingsbury, "The Dual-Tree Complex Wavelet Transform", IEEE Signal Processing Magazine, vol. 22, no.6, pp. 123-151, Nov.2005.

[26] R. A. Gopinath, "The Phaselet Transform – An Integral Redundancy Nearly Shift-invariant Wavelet Transform",