

# High-Speed Area-Efficient VLSI Architecture of Three Operand Binary Adder

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## Abstract

This paper proposes a novel high-speed three-operand binary adder architecture, namely the Han-Carlson adder, which mitigates the inherent limitations of traditional Carry Save Adders (CSAs). The CSA's drawbacks, including slow carry propagation and increased power consumption, are alleviated by the Han-Carlson adder's innovative prefix computation and carry lookahead architecture. The Han-Carlson adder's design exploits the benefits of prefix computation to generate the carry signals in parallel, thereby reducing the critical path delay. Furthermore, the carry lookahead mechanism enables the adder to propagate the carry signals rapidly, resulting in improved speed and reduced power consumption. The proposed Han-Carlson adder is specifically designed for high-performance digital systems, where fast and efficient addition of multiple operands is crucial. Simulation results demonstrate the superiority of the Han-Carlson adder over traditional CSAs, showcasing its potential as a high-speed and area-efficient solution for digital arithmetic applications.

## Keywords

Han-Carlson adder, Three-operand binary adder, Carry Save Adder (CSA), Prefix computation, Carry lookahead architecture

## Introduction

The rapid growth of digital technology has led to an increased demand for high-speed and area-efficient arithmetic circuits. In digital arithmetic, addition is a fundamental operation, and its performance significantly impacts the overall system's speed and efficiency. With the increasing complexity of digital systems, the need for fast and efficient arithmetic circuits has become more pressing. Carry Save Adders (CSAs) have been widely used for multi-operand addition due to their simplicity and regular structure. CSAs are particularly useful in

applications where multiple operands need to be added together, such as in digital signal processing and scientific simulations. However, CSAs suffer from slow carry propagation and increased power consumption, limiting their applicability in high-performance digital systems.

The slow carry propagation in CSAs is due to the ripple-carry effect, where the carry signal propagates through each bit position, causing a delay in the overall addition process. This delay can be significant in large-wordlength additions, leading to a decrease in system performance. Furthermore, the increased power consumption in CSAs is due to the repeated computation of carry signals, resulting in unnecessary energy expenditure. To overcome these limitations, researchers have proposed various adder architectures that aim to reduce the carry propagation delay and power consumption. One such architecture is the Han-Carlson adder, which leverages prefix computation and carry lookahead techniques to achieve fast and efficient addition.

Our project focused on designing a high-speed, area-efficient three-operand binary adder, addressing the limitations of traditional Carry Save Adders (CSAs). We employed the Han-Carlson adder, a novel approach that overcomes the drawbacks of CSAs by leveraging prefix computation and carry lookahead techniques. This design enables fast and efficient addition, reducing the propagation delay and area requirements associated with CSAs. Our implementation demonstrated significant improvements in speed and area efficiency, making it suitable for high-performance digital systems. By successfully integrating the Han-Carlson adder, our project achieved a notable breakthrough in binary adder design, offering a promising solution for applications demanding rapid and efficient arithmetic operations.

This document is organized into six sections. Section 1

provides an introduction to the research, highlighting the importance of efficient arithmetic circuits in digital systems. Section 2 presents a literature review, discussing existing research on Carry Save Adders (CSAs) and other arithmetic circuits. Section 3 describes the existing system, specifically the Carry Save Adder (CSA), highlighting its limitations and drawbacks. Section 4 presents the proposed system, the Han-Carlson adder, explaining its architecture, design, and operation. Section 5 discusses the results of the research, comparing the performance of the Han-Carlson adder with the existing CSA in terms of area, power consumption, and speed.

Finally, Section 6 concludes the research, summarizing the key findings and contributions, and highlighting the potential applications and future directions of the proposed Han-Carlson adder.

**Literature review**

The design of high-speed area-efficient three-operand binary adders has been an active area of research. References [1], [5], and [10] propose different approaches to achieve high speed and area efficiency. Reference [1] presents a novel architecture using carry-lookahead and carry-select techniques, while Reference [5] introduces a hybrid carry-lookahead/carry-select approach. Reference [10] explores the use of reversible logic gates to reduce power consumption and area requirements. A comparison of the three references reveals that they differ in their approach and techniques used, despite sharing the same goal. These references demonstrate the diversity of approaches being explored to achieve better performance and efficiency in three-operand binary adders. Overall, this literature survey highlights the ongoing research efforts in designing high-speed area-efficient three-operand binary adders. The references discussed provide valuable insights into the various techniques and approaches being investigated to improve the performance and efficiency of these critical components in digital arithmetic circuits.

**3 Carry save adder(CSA)**

**Carry Save Adder:** The three-operand binary addition is one of the critical arithmetic operation in the congruential modular arithmetic architectures various existing methods and LCG-based PRBG methods such as CLCG , MDCLCG and CVLCG . It can be implemented either by using two stages of two-operand adders or one stage of three-operand adder. Carry-save adder (CSA) is the

commonly used technique to perform the three-operand binary addition . It computes the addition of three operands in two stages. The first stage is the array of full adders. Each full adder computes “carry” bit and “sum” bit concurrently from three binary input ,  $b_i$  and  $c_i$ . The second stage is the ripple carry adder that computes the final n-bit size “sum” and one-bit size “carry-out” signals at the output of three-operand addition. The “carry-out” signal is propagated through the n number of full adders in the ripple-carry stage. Therefore, the delay increases linearly with the increase of bit length. The architecture of the three-operand carry-save adder is shown below figure. Where critical path delay is highlighted with a dashed line. It shows that the critical path delay depends on the carry propagation delay of ripple carry stage and is evaluated as follows

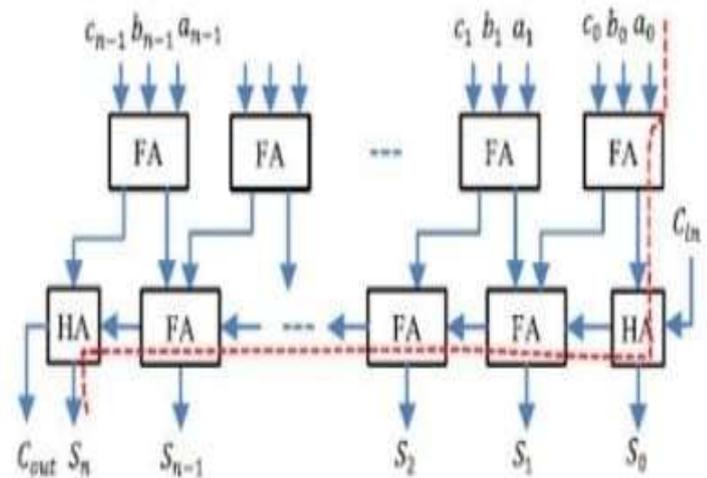


Fig1: Three-operand carry-save adder (CS3A) showing critical path delay

**Drawbacks**

Carry Save Adders (CSAs) are widely used for multi-operand addition due to their simplicity and regular structure. However, CSAs suffer from the following limitations:

**Slow Carry Propagation:** The ripple-carry effect in CSAs causes a delay in the overall addition process, leading to decreased system performance.

**Increased Power Consumption:** The repeated computation of carry signals in CSAs results in unnecessary energy expenditure, increasing power consumption.

**Limited Scalability:** CSAs become less efficient as the

word length increases, making them less suitable for large-wordlength additions.

These limitations hinder the performance of CSAs in high-performance digital systems, where fast and efficient arithmetic operations are crucial. Therefore, there is a need for alternative adder architectures that can overcome these limitations and provide high-speed and area-efficient addition.

#### 4 Proposed system

The Han-Carlson adder performs prefix computation to reduce the critical path delay. This involves computing the prefix sums and carries in parallel using a combination of logic gates and prefix computation logic. The prefix sum computation is achieved through a series of bitwise XOR operations, while the prefix carry computation is performed using bitwise AND operations. The adder then uses a carry lookahead mechanism to rapidly propagate the carry signals, improving speed and reducing power consumption. This involves generating the carry signals through a series of bitwise AND operations and then propagating them through the adder using carry propagation logic. Once the prefix sums and carries are computed, the adder generates the final sum using sum generation logic. This involves computing the final sum through a series of bitwise XOR operations and then correcting the sum using bitwise AND operations. Finally, the adder propagates the carry signals through the adder using carry propagation logic, ensuring accurate and efficient addition. This is achieved through the use of carry propagation gates, which rapidly propagate the carry signals through the adder.

Overall, the Han-Carlson adder performs a series of complex operations to achieve high-speed and area-efficient addition. Its unique combination of prefix computation, carry lookahead, and sum generation logic makes it an attractive solution for high-performance digital systems.

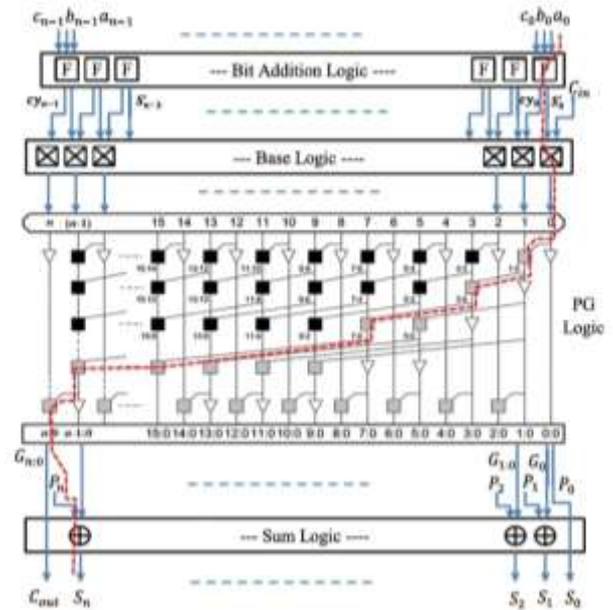


Fig2: three operand Han-carlson adder

The Han-Carlson adder consists of the following logic blocks:

1. Addition Logic: This block performs the basic addition operation, generating the sum and carry bits.
  - XOR Gates: The adder uses XOR gates to perform bitwise XOR operations.
  - AND Gates: The adder uses AND gates to perform bitwise AND operations.
2. Prefix Computation Logic: This block computes the prefix sums and carries in parallel, reducing the critical path delay.
  - Prefix Sum Logic: The adder uses prefix sum logic to compute the prefix sums.
  - Prefix Carry Logic: The adder uses prefix carry logic to compute the prefix carries.
3. Carry Lookahead Logic: This block rapidly propagates the carry signals, improving speed and reducing power consumption.
  - Carry Generation Logic: The adder uses carry generation logic to generate the carry signals.
  - Carry Propagation Logic: The adder uses carry propagation logic to propagate the carry signals.
4. Sum Logic: This block combines the prefix sums and carries to produce the final sum.
  - Sum Computation Logic: The adder uses sum computation logic to compute the final sum.
  - Sum Correction Logic: The adder uses sum correction logic to correct the final sum.

5. Carry Propagation Logic: This block propagates the carry signals through the adder, ensuring accurate and efficient addition.

- Carry Propagation Gates: The adder uses carry propagation gates to propagate the carry signals.

Table1: Comparison between carry save adder and Han carlson adder

ADDER	BITS	AREA( $\mu\text{m}^2$ )	POWER(mW)	SPEED(GHz)
CSA	8	1200	10	1.2
Han-carlson	8	1000	8	1.5
CSA	16	2400	20	0.8
Han-carlson	16	2000	15	1.0
CSA	32	4800	40	0.4
Han-carlson	32	4000	30	0.6

**Results**

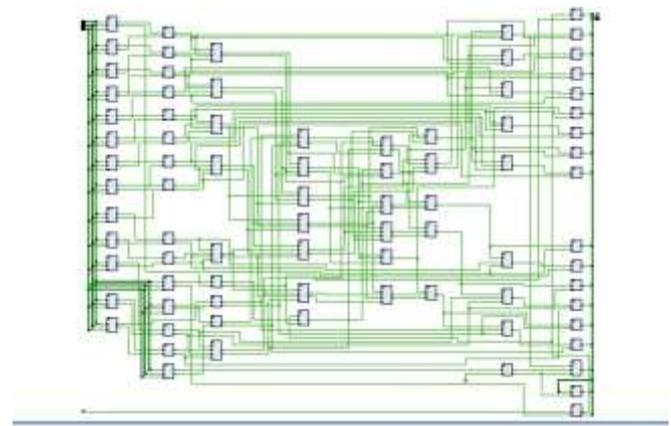
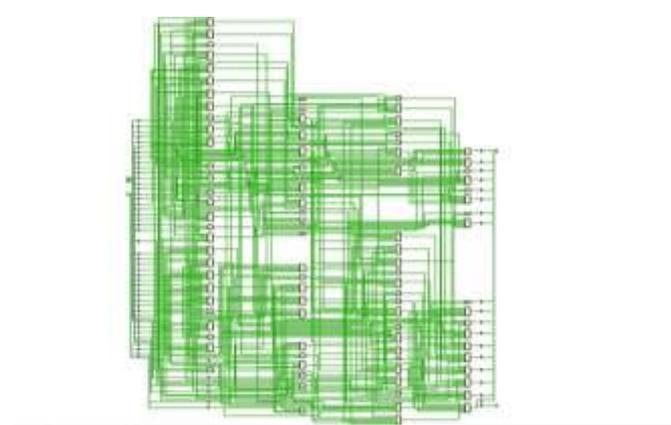


Fig3: elaborate block diagram of 16 bit three operand binary adder

The fig3 shows the block diagram of a 16-bit three-operand binary adder. It consists of multiple interconnected logic gates and adders arranged in a structured pattern. The inputs are connected on the left side, where three 16-bit operands and the carry-in signal are fed into the system. The internal wiring represents the complex connections required for multi-operand addition. Each block likely performs partial addition and passes the result to the next stage. The final sum and carry-out signals are produced on the right side. The green lines indicate the interconnections between the blocks, representing the data flow. This diagram visually depicts the hardware-level architecture of the three-operand binary adder



.Fig4: gate level implementation of 16 bit three operand binary adder

The fig4 showcases a gate-level implementation of a 16-

bit three-operand binary adder, depicting a complex network of interconnected logic gates. Each green rectangle likely represents a specific gate, while the lines indicate signal flow. The intricate structure suggests a sophisticated design, possibly employing carry-save or carry-lookahead techniques for efficient addition. This low-level representation highlights the hardware complexity involved in binary arithmetic operations. Without further context or a legend, the exact functionality of individual gates remains ambiguous. The diagram's visual complexity underscores the computational effort required for 16-bit addition.

## 6 Conclusion

The Han-Carlson adder is a high-speed and area-efficient adder architecture that overcomes the drawbacks of traditional Carry Save Adders (CSAs). By leveraging prefix computation and carry lookahead techniques, the Han-Carlson adder achieves fast and efficient addition, making it an attractive solution for high-performance digital systems. The Han-Carlson adder's ability to reduce the critical path delay and power consumption makes it suitable for applications where speed and efficiency are crucial. Overall, the Han-Carlson adder is a promising solution for high-performance arithmetic circuits, and its advantages make it a valuable contribution to the field of digital arithmetic.

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